

5/169/62/000/007/075/149 D228/D307

AUTHORS:

Mizyuk, L. Ya. and Zubov, V. G.

TITLE:

Transistorized computing autocompensator KCP-T1

PERIODICAL:

Referativnyy zhurnal, Geofizika, no. 7, 1962, 33, abstract 7A217 (V sb. Razved. i promysl. geofiz., no. 42, M., 1961, 41-47)

TEXT: In the described KSR-T1 transistor autocompensator division and multiplication operations are accomplished by means of a variable instrument shunt. When there is such a circuit the converting unit is independent of the measuring limit and allows the equation $\rho_k = K(\Delta U/I)$ to be solved in one stage. A negative direct-

current feedback is employed to compensate temperature changes in the device. This ensures the instrument's stable operation in the temperature range from -20 to +60°C. The principle of the device's circuit is given. / Abstracter's note: Complete translation. /

Card 1/1

5/651/62/000/006/004/010 E140/E135

AUTHOR:

Zubov, V.G.

TITLE:

1012

Numerical system with fractional base

SOURCE:

Akademiya nauk Ukrayins'koyi RSR. Instytut

mashynoznavstva i avtomatyky, L'viv. Avtomaticheskiy kontrol' i izmeritel'naya tekhnika. no.6. 1962. 93-97.

TEXT: The author proposes the base $\sqrt{10}$ for indicator type instruments and analogue computers, in a "floating-point" representation. The dial reading is a fraction of unity, using an auxiliary representation of the particular power of

There is 1 table.

Card 1/1

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5/651/62/000/006/005/010 E140/E135

AUTHOR:

Zubov, V.G.

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TITLE:

Experimental study of residual parameters of a transistor

used as a small-signal switch

SOURCE:

Akademiya nauk Ukrayins'koyi RSR. Instytut mashynoznavstva i avtomatyky, L'viv. Avtomaticheskiy kontrol' i izmeritel'naya tekhnika. no.6. 1962. 98-104.

TEXT: The author has found discrepancies between the theoretical and the experimental behaviour of transistors used as small-signal switches (e.g. in d.c.-amplifier choppers). In particular the drifts of the collector current in the cut-off state and the saturation voltage with temperature are far less than expected, so that such applications can in fact be realised even though it would appear theoretically impossible. The author claims to have found a slow process in cut-off transistors which renders the a.c. and d.c. properties different, hence the d.c. parameters have no significance in rapidly switched transistors. The time constant of the d.c. process is about three minutes for the Soviet transistor | | 13 A (Pl3A), during which the residual current in the Card 1/2

Experimental study of residual ... \$/651/62/000/006/005/010 E140/E135

cut-off transistor grows from a value of the order of 3 μ A to one of the order of a few tens μ A at 80 °C. The author claims this is not a thermal phenomenon, since the transistor is "cut-off", but the value of collector voltage used in the experiment is not given. However, the use of a mechanical chopper in the base circuit at the residual cut-off current remains constant with time and does the nature of the phenomenon observed. There are 7 figures.

Card 2/2

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S/651/62/000/006/007/010 E140/E135

AUTHORS:

Blazhkevich, B.I., and Zubov, V.G.

TITLE:

New transistorized self-balancing potentiometer for

thermocouple measurements

SOURCE:

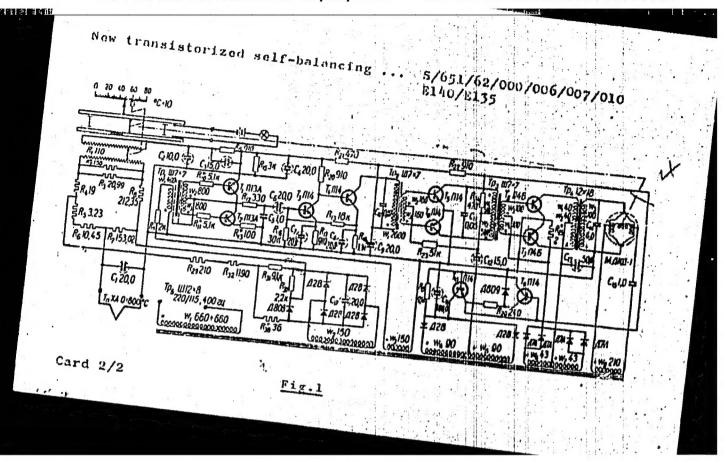
Akademiya nauk Ukrayina koyi RSR. Instytut

mashynoznavstva i avtomatyky, L'viv. Avtomaticheskiy kontrol' i izmeritel'naya tekhnika. no.6. 1962. 128-152.

TEXT: The article describes MTAK (MPAK), a miniature transistorized self-balancing potentiometer for use in the range of to 800°C, with an error not exceeding 0.5% of full scale indication. This potentiometer was developed at the Institut mashinovedeniya i avtomatiki AN USSR (Institute of Science of Machinery and Automatics, AS Ukr.SSR). Fig. I shows the principle of the device. There are 2 figures.

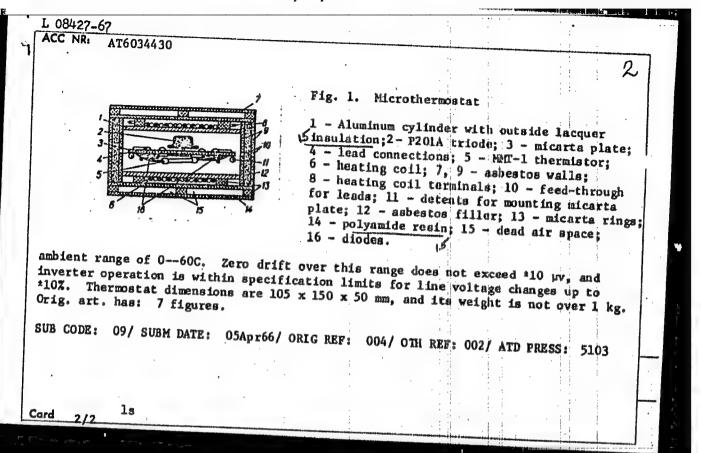
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ACC NR: AP6024670 SOURCE CODE: UR/0070/65/011/004/0628/06
AUTHOR: Govorova, Ye. Z.; Zubov, V. G.; Firsova, H. H.

ORG: Moscow State University im. V. M. Lomonosov (Moskovskiy gosudarstvennyy universitet)

TITLE: Cortain features of acoustic wave interaction in crystals

SOURCE: Kristallografiya, v. 11, no. 4, 1966, 628.631

TOPIC TAGS: acoustic wave, ultrasonic wave propagation, ammonium compound, acoustic diffraction, single crystal, quarts crystal

ABSTRACT: This is a continuation of earlier work (Kristallografiya v. 9, no. 4, 459 -- 465, 1964), where the authors observed in a quarts, by an ultrasonic diffraction method, the appearance of longitudinal oscillation medes accompanying transverse oscillations. The present article is devoted to a similar study with single-crystal ADP, in which there are no piesocoefficients causing longitudinal oscillations, and in which the elastic nonlinearity is larger than in quarts. The results have shown that the transverse mode is continuously accompanied by a second harmonic of a longitudinal mode in the same direction. In the general case this

Card 1/2

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longitudinal mode is weaker than the mode exciting it, but under certain geometrical resonance conditions the diffraction maxima on the longitudinal mode become comparable in brightness with the original transverse mode. The result is shown to agree with a general formula derived for the propagation of an elastic wave in a longitudinal escillation can increase spentaneously and give rise eventually to a longitudinal escillation can increase spentaneously and give rise eventually to a monic to another is in good agreement with the results of E. Formi, J. Pasta and S. M. Ulam (Studies of Nonlinear Problems, LA-1940, OTS, US Department of Commerce, trum of a vibrating string with nonlinear parameters. The present experiments, like offer no theoretical explanation. The authors thank L. E. Res, F. L. Feygins, and R. D. Zaytseva for preparing the high grade ADP crystals, Orig, art. hast 2 figures

SUB CODE: 20/ SUBH DATE: 08Sep64/ ORIG REF: 004/ OTH REF: 003

3/2 bc

ACC NR: ...T6008315

SOURCE CODE: UR/0000/65/000/000/0061/0066

AUTHOR: Zubov, V.G. (L'vov) (Candidate of technical science)

ORG: none

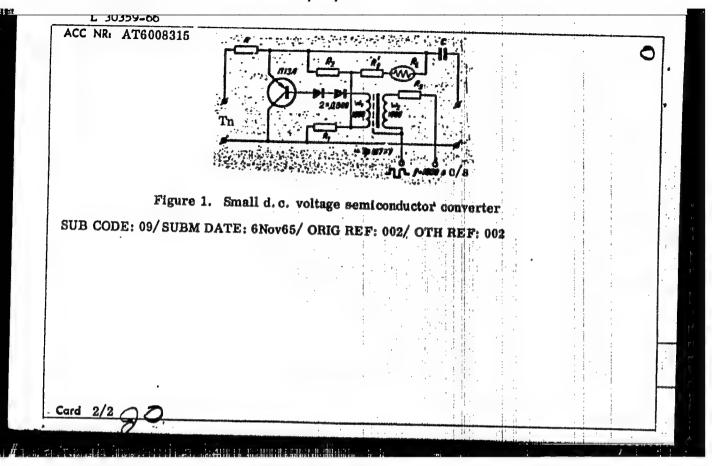
TITLE: A semiconductor converter of small d.c. voltages 25

SOURCE: AN UkrSSR. Elementy sistem otbora i peredachi informatsii (Elements of systems for selecting and transferring information). Kiev, Naukova dumka, 1965, 61-66

TOPIC TAGS: voltage converter, elect. nic circuit, circuit design, semiconfucion berice

ABSTRACT: Although semiconductor voltage converters still exhibit numerous shortcomings, the fast response and the almost infinite lifetime of such devices make the continuous efforts for the perfection of such devices meaningful. The author discusses in considerable detail the theory and operation of the thermally compensated converter forming a bridge circuit. The theoretical conclusions were tested on an experimental circuit, shown in Figure 1, containing the heat-sensitive resistor R_t . Tests show that the circuit is quite insensitive to the choice of triodes, the residual (false) signals at normal operating temperatures does not exceed $\pm 10~\mu\text{V}$, and a temperature change of the order of 500 causes an additional zero drift within the $\pm 10~\mu\text{V}$ limits. Orig. art. has: 8 formulas and 2 figures.

Card 1/2



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ORG: Moscow State University im. M. V. Lomono TITLE: Dilatation of quartz caused by head	BOY (Mark.		41
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SOURCE: Kristallografiya, v. 11, no. 3, 1966, TOPIC TAGS: quartz crystal, neutron absorption ABSTRACT: The dilatation of quartz exposed to of oto 20 n/cm²) was studied. The analysis	422 hav	19	
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ABSTRACT: The dilatation of quartz exposed to of o to 20 n/cm²) was studied. The analysis of submicroscopic amorphous regions and their eight on the volume exposure.	The state of the s		5
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where the new constants α=kα/β and b=Nβ+α. From experimental data, α=0.272% and b==0.45·10⁻¹⁹ cm²/n for the results of Wittels (light environment) and α=0.898% and b=17.65%. The above equations agreed well with the experimental results and the amorphous region hypothesis, with the constants α and b adjusting for any rate changes in figures, 4 formulas.

SUB CODE: 20,11/ SUBM DATE: 10Apr64/ OTH REF: 005/ ATD PRESS:503/

- 1. ZUBOV, V. G.
- 2. USSR (600)
- 4. Science
- 7. Physics problems. Moskva, Gostekhizdat, 1952.

9. Monthly List of Russian Accessions, Library of Congress, April

April 1953, Unclassified

ZUBOV, V.Q.; SHAL'NOV, V.P.; KUENETSOVA, Ie.B., redaktor; YUGOV, V.A., redaktor; HEORIMOVSKATA, R.A., tekhnicheskiy redaktor.

[Physics problems] Esdachi po fisike. Moskva, God. isd-vo tekhniko-teoret. lit-ry, 1954. 320 p. (MIRA 7:11)

(Physics--Problems, exercises, etc.)

ZUBOV. Viktor Gennadiyevich; SHAL'HOV, Vladimir Petrovich; KUZNETSOVA, Te.B., redaktor; GAVRILOV, S.S., tekhnicheskiy redaktor

[Problems in physics; textbook for self-instruction] Zadachi po fizike; posobie dlia samoobrazovaniia. Izd- 3-a, ispr. Moskva, Gos. izd-vo tekhniko-teoret. lit-ry, 1955. 320.p. (MIRA 8:7)

(Physics--Problems, exercises, etc.)

Name: ZUBOV, V. G.

Dissertation: Investigation of the dynamic elastic properties of quartz

Degree: Cand Phys-Math Sci

Defense Date, Place: 1956, Mcscow

Source: Knizhnaya Letopis', No 45, 1956

ZUBOV, V.G.; SHRNJEL'D. TS.A.

Dielectric losses in ice near the melting temperature. Report No.1. Vest.Mosk.um. Ser.wat.,mekh.,astron.,fis.,khin. 11 no.1:181-185 '56. (MRA 10:12)

(Ice—Electric properties)

Zuboo, V.G.

USSR/Radiophysics - Generation and Conversion of RF Oscillations, I-4

Abst Journal: Referat Zhur - Fizika, No 12, 1956, 35275

Author: Zubov, V. G.

Institution: Moscow State University

Title: On the Temperature Behavior of the Elastic Comstants of

Original

Periodical: Dokl. AN SSSR, 1956, 107, 103, 392-393

Abstract: Report on the results of a new measurement of the temperature behavior of the natural frequencies of quartz resonators in the temperature range from 20 to 5730 using the method of observing the diffraction of light by ultrasonic waves. The quartz cubes, oriented along the principal axes, were excited by an alternating field with a frequency of 8-10 mc. The light source employed was a mercury lamp with a green filter. The photographs of the diffraction pattern were used to calculate the velocity of the quasi-longitudinal and quasitransverse waves and the values of all the 9 effective elastic coefficients. The resultant experimental curves make it possible to

Card 1/2

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CIA-RDP86-00513R002065610004-7

ZUBOU, 16.

Category : USSR/Solid State Physics - Michanical Properties of

Crystals and Folycrystalline Compounds

Abs Jour : Ref Zhur - Fizike, No 3, 1957, No 6771

: Zubov, V.G., Firsova, H.M. : Moscow University, USSR Author

: Concorning the Elastic Froperties of High Temperature Quertz

Orig Fub : Dokl. AN SSSR, 1956, 109, No 3, 493-494

Abstract : The Bergman-Schefer method was used to study the temperature behavior of the electic constants of β quartz in the temperature range from 572 -- 635°. As the temperature is increased, C11, C22, and C12 increase monotonically, C44 romains constant within the limits of experimental error. At 580°, C₁₁ = C₃₃ and C₁₂ reverses its sign. C(56) = (C₁₁-C₁₂)/2 increases monotonically from 50 x 10¹⁰ to 51 x 10¹⁰ dyne/cm². C₁₂ increases from 17 x 10¹⁰ dyne/cm² at 580° to 35 x 10¹⁰ dyne/cm² at 615 -- 620°. The elasticity of 3 quertz in-

creases with temperature.

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ZUROV. Virtor Gennadiyevich: SHAL'NOV, Vladimir Petrovich; KUZMETSOVA, Ye.B., redaktor; Gavellov, S.S., teknicheskiy redaktor

[Problems in physics: a menual for self-education] Zedachi po fisike; posobie dis samoobrasovanita. Izd.4-oe, ispr. Moskva, Gos.isd-vo tekniko-teoret.lit-ry, 1975, 320 p.

(Physics--Problems, exercises, etc.)

(Physics--Problems, exercises, etc.)

807/70-3-6-11/25

Zhdanov, G.S., Zubov, V.G., Ivanov, A.T., and Firsova, M.M. AUTHORS:

On the Elastic Properties of Quartz Irradiated by Neutrons TITLE: (Ob uprugikh svoystvakh kvartsa, obluchennogo neytronami)

PERIODICAL: Kristallografiya, 1958, Vol 3, Nr 6, pp 720-725 (USSR)

ABSTRACT: The elastic constants of quartz, irradiated in a reactor by fast neutrons, have been measured by the mthod of

Bergmann and Schaeffer. After irradiation by

2.1019 neutrons/cm2 increasing errors which lay in the limits of 0.9 to 1.7% for a relative decrease in the density of quartz of 0.18% were found in the experiment for measuring the elastic constants. Comparison with the temperature variation of the elastic constants showed that the temperature and radiation changes in the elastic constants corresponding to the same change in density were sharply distinguished. The results agree qualitatively with the work of Mayer and Gigon (J. Phys. Rad., 1957, Vol 18, p 109) on the elastic moduli of irradiated quartz. Measurements were made on blocks about 20 x 20 x 4 mm cut perpendicular to the crystallographic axes. Four series each of three plates were used, cereful controls being kept. The frequencies used were 8-10 Mc/s. Wittels and Sherill (Phil. Mag., 1957, Vol 48, p 24) contrasted the

Card1/2

CIA-RDP86-00513R002065610004-7"

APPROVED FOR RELEASE: 09/01/2001

SOV/70-3-6-11/25 On the Elastic Properties of Quartz Irradiated by Neutrons

> changes in the elastic constants produced by thermal and radiation-produced expansion of the crystal lattice. Although qualitatively the anistropy is the same the actual values for it are quite different. This is shown experimentally. The structural meaning of the results obtained is not discussed. Acknowledgments to Academician I.K. Kikoin and V.L. Karpov. There are 4 tables. There are 11 references, 3 of which are Soviet, 8 English.

ASSOCIATION: Moskovskiy gosudarstvennyy universitet im.

M.V. Lomonosova (Moscow State University imeni M.V. Lomonosov) June 12, 1958

SUBMITTED:

Card 2/2

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ZUBOV, V.G.; OSIPOVA, L.P.; FIRSOVA, M.M.

Effect of constant voltage on the intensity and width of Raman spectrum lines of A-quartz. Kristallografiia 6 no.5:777-778 (MIRA 14:10)
S-0 '61.

1. Moskovskiy gosudarstvennyy universitet imeni M.V.Lomonosova. (Raman effect) (Quartz)

361/1

5/070/62/007/002/007/022 E132/E160

147100

Zubov, V.G., and Grishina, A.P.

AUTHORS:

The dielectric susceptibility and refractive indices

of quartz irradiated by fast neutrons TITLE:

FERIODICAL: Kristallografiya, v.7, no.2, 1962, 238-241

For comparison with measurements by W. Primak (Ref.2: Phys. Rev., v.110, no.6, 1958, 1240-1254) the d.c., density and refractive indices of quartz crystals after irradiation by 2 x 1019 neutrons/cm2 have been studied. As the density and refractive indices depend on the two effects of irradiation - the general breaking up of the structure and the distortion of the interatomic forces by defects - it is concluded that the dielectric constant is a more sensitive index by which to follow the irradiation. The d.c. changes by 1% for this dose while the density changes by 0.18%, the r.i. by about 0.05% and the elastic constants by about 1%. There are 5 tables. ASSOCIATION: Moskovskiy gosudarstvennyy universitet im.

M.V. Lomonosova

Card 1/1

(Moscow State University imeni M.V. Lomonosov)

SUBMITTED:

June 30, 1960

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5/070/62/007/004/012/016 E021/E435

Osipova, L.P. Zubov-AUTHORS:

Intensity and width of lines of combination scattering in synthetic quartz TITLE:

PERIODICAL: Kristallografiya, v.7, no.4, 1962, 630-631 , it will will be the sail to

Low pressure mercury lamps with a very low background were This resulted in a considerable decrease of the parasitic TEXT: scattering: and enabled measurements on the lines 128, 206, 266, 357, 466, 696, 795-805, 1061, 1081 and 1159 cm 1; these were carried out on a ΑΦC-4 (DFS-4) spectrometer. The intensity of the lines 206, 266, 357, 466 and 696 cm - 1 on the spectra of synthetic and natural quartz agreed; the total intensity of the band 1061-1081 cm-1 was greater in synthetic than in natural quartz. The intensity of the doublet 795-805 cm-1 was somewhat less in synthetic than in natural quartz. The intensity and the width of the line 128 cm-1 were both greater for synthetic than for natural quartz. The synthetic quartz possessed a layer structure, which might explain the appearance of a weak line with Card 1/2

5/020/62/144/004/010/024 B125/B108

AUTHORS:

Zubov, V. G., and Osipova, L. P.

The Raman scattering in dequartz irradiated by fast neutrons

TITLE:

Akademiya nauk SSSR. Doklady, v. 144, no. 4, 1962, 763-765

PERIODICAL:

TEXT: The spectrum of the Raman scattering on a quartz single crystal was

investigated. Irradiation of the crystal by fast neutrons diminished the density of the sample from 2.65 to 2.49 g/cm3. The sample retained a reaensity of the sample from 2.0) wo 2.47 8/cm. The sample from 50 % of the sidual r-activity, turned light-violet, and began to absorb ~50 % of the incident light of 5800 - 4000 Å. The intense fluorescence with its maximum incident light of 5800 - 4000 Å. Owing to the intense background, only the at 5750 Å decreased monotonically. Owing to the intense background. brightest, peaks of the spectrum could be determined with an MCM-51 (ISP-51) spectrograph. The very reliable photoelectric method, however, gave the whole (continuous) spectrum of the Raman scattering up to 1500 cm-1 (Fig. 1). Many of the peaks are caused by the very diffuse lines of the non-irradiated quartz. New peaks at 540, 930, 1050, 1350 cm-1 were found. The diffuse maxima of the irradiated quartz spectra are 20 - 30 times less intense than

Card 1/3

ZUBOV. Viktor Gennadiyevich: SHAL'NOV, Vladimir Petrovich; KUZNETSOVA.

Ye.B., red.; LikhKcHEVA, L.V., tekhn. red.

[Problems in physics] Zadachi po fizike; posobie dlia samo-obrazovaniia. Izd.7. Moskva, Gos.izd-vo fiziko-matemat. litry, 1963. 271 p.

(MIRA 16:10)

(Physics—Problems, exercises, etc.)

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5/070/-3/008/001/020/024 E132/E460

AUTHORS: Zubov, V.G., Firsova, M.M., Molokova, T.M.

TITLE: The temperature dependence of the dielectric permeability of crystalline and fused quarts

PERIODICAL: Kristallografiya, v.8, no.1, 1963, 112-114 In order to clear up discrepancies in the earlier literature, measurements were made of the dielectric constants TEXT: ell and egg of quartz at 1 Mc/s over the temperature range 20 to 700°C. Y- and Z-cut plates about 20 x 20 x 4 mm having platinized surfaces were used. Fused quartz showed hardly any rise in e with temperature and for crystalline a-quartz the There is a slight discontinuity change was slight until 500°C. in ell at about the a-B transition temperature of 573°C. e33 did not rise as rapidly as early workers found for 1 to 90 Kc/s. To get the best values of e33 specimens of quartz were cleaned by L.G.Chentsova's method of applying a constant potential of 2 kV/cm along the optic axis at 700°C. reducing e33 steadily with each treatment until it became substantially the same as ell and also showed a small discontinuity The effect of foreign ions in the structure on egg at 573°C. Card 1/2

\$/070/65/008/002/003/017 E039/E435

V. THERS: Zhdanov, G.S., Zuboy, V.G., Rolontsovn, Ye.V.,

Csipova, L.P., Tolegina, I.V.

TITLE: Radiation effects in a-quartn

PERIODICAL: Kristallografiya, v.8, no.2, 1963, 207-212

t comparison of the Raman spectra of n-quartz before and after exposure to neutrons is carried out. The structural characteristics are obtained by the Laue method and the anomalous -lay scattering method. The investigated santle is cut from a Commission quality Brazilian quarte in the fore of a sube-To x 30 am with the edges parallel to the print, ple axes and This wright to a fast neutron flam of x .010 n fem. This rose ex a change in density of the quartz from 2.05 to 2.49 g/cm5. a save a appropriate insignificant a activity, a smoky violet the second of th lest in a of the apectrum of the irradiated i-quarty are: in the spectrum is continuous up to 1500 cm⁻¹. Only contains a . Times of plurred wide maxima, of in the region 700 to 1500 of 1 on scattering is very similar in character to that of molten card 1/2

Radiation effects in a quartz

\$/0/0/69/008/002/003/017 E019/E415

quartz; d) the intensity of scattering in the irradiated quartz depends on the orientation of the crystal. shows that the third order symmetry C3 is changed to sixth order Co by the irradiation and there is a significant change in the distribution of diffuse scattering. As a result of neutron irradiation, the structure of α -quartz is thought to change in the following manner: 1) Initially, defects develop which lead to a weakening and breaking of the Si+O bond and hence to the possibility of rearrangement in the Si-O tetrahedrons. definite stage of the exposure the α -quartz becomes unstable and there is a transition to the more symmetrical high temperature modification. This remains stable at room temperature. 3) There is a complete loss of orientation in parts of the crystal. There are 4 figures.

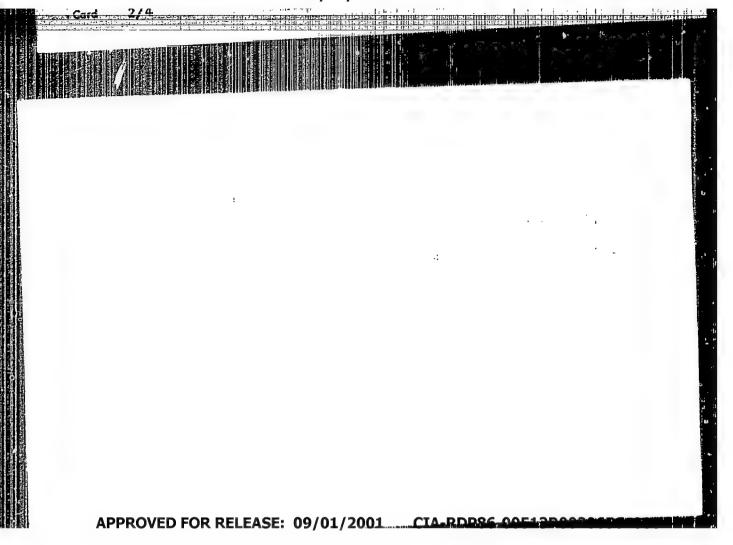
ASSOCIATION: Moskovskiy gosudars vennyy universitet im.

M.V. Lomonosova (Moscow State University imeni

SUBMITTED:

Card 2/2

July 10, 1962



ACCESSION NR: AP4036721

8/0020/64/156/002/0300/0301

AUTHOR: Zubov, V. G.; Osipova, L. P.

TITIE: Regularities in spectrum changes of Raman effect in alpha-quartz caused by irradiation with fast neutrons.

SOURCE: AN SSSR. Doklady*, v. 156, no. 2, 1964, 300-301

TOPIC TAGS: fast neutron irradiation, quartz Raman spectrum, alpha-quartz, beta quartz, irradiated quartz Raman spectrum, Raman spectrum

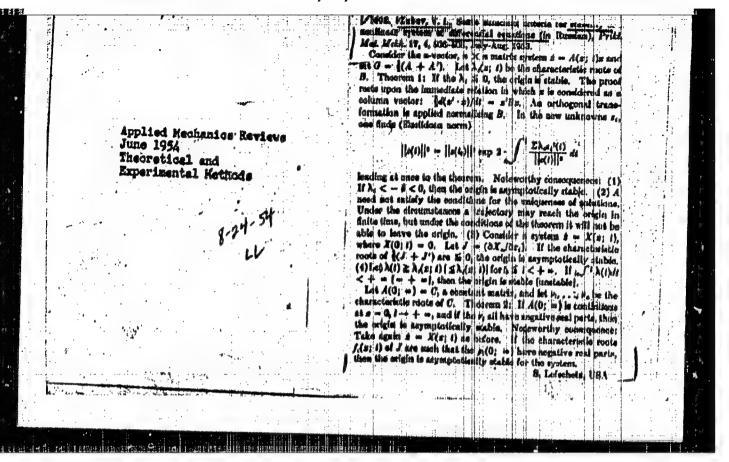
ABSTRACT: The authors have recorded the Raman spectra in alpha-quartz irradiated by neutron fluxes of 4.5 and $7 \times 10^{19} \rm n/cm^2$, respectively. It was found that irradiation causes a gradual decrease of maxima corresponding to Raman lines of a nonirradiated quartz and an increase of their widths. The maxima are shifted toward smaller frequencies; the continuous spectrum is increasing. The Raman spectra of the specimen irradiated with $7 \times 10^{-9} \rm n/cm^2$ approaches that of betaquartz. Heating has a similar effect. It seems that the end result of neutron irradiation is the creation of regions of smorphous quarts. Orig. art. has: 1 figure and 1 table.

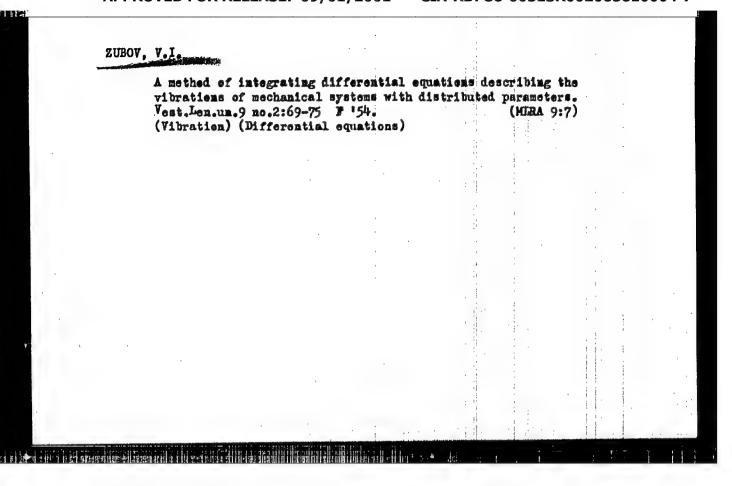
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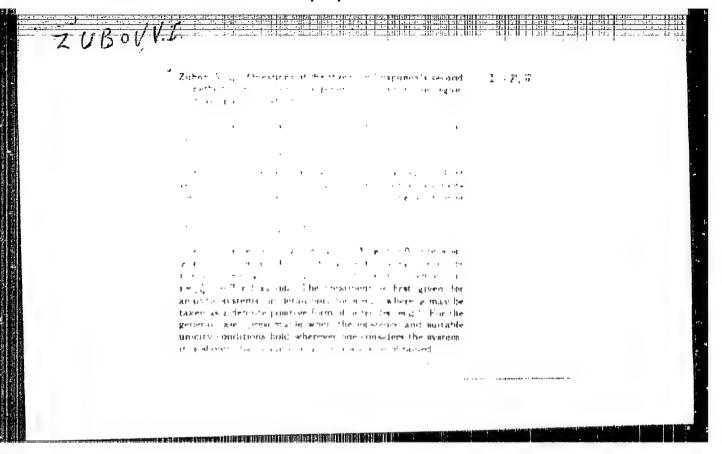
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ACC NR. AP6012940 SCURCE CODE: UR/OU/0/65/(10/001/0D/6/0)58
AUTHOR: Zubov, V. G.; Govorova, Ye. Z.
ORG: Moscow State University im. M. V. Lomonosov (Moskovskiy gosudarstvennyy
universitet)
TITLE: Third-order anharmonicity effects in crystals
SOURCE: Kristallografiya, v. 10, no. 1, 1965, 56-58
TOPIC TAGS: phase transition, ultrasonics, crystallography
ARSTRACT: The conditions are formulated for resonant intermition between two intersecting waves in a crystal. A numerical solution is given of the equation for the interaction between X3 and Y3 waves in < quartz. This solution is verified experimentally by the Bergman-Scheffer ultrescair diffraction method, verified experimentally by the Bergman-Scheffer ultrescair diffraction method. Photographs at room temperature and near the phase transition (500° C) are given which support the numerical calculation. Orig. art. has: 2 figures and
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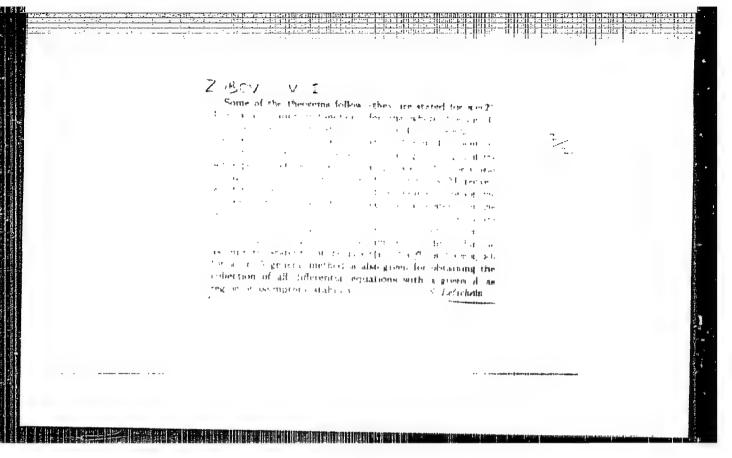
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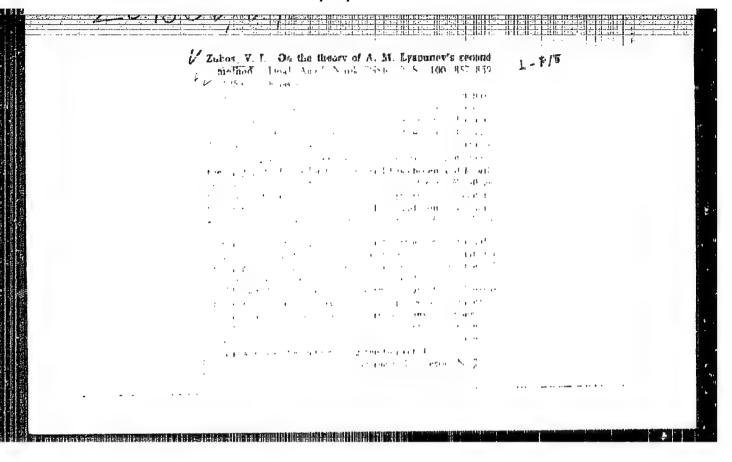




USSR/Mathem	Atics - Asymptotic stability	
Card 1/1	Pub. 22 - 1/40	
Authors	g Zubov, V.I.	
Title	Regarding the theory of A.M. Lyapunov's second method	·
Periodical	Dok. AN SSSR 99/3, 341-344, Nov 21, 1954	
Abstract	A second Lyapunov method for solving systems of differential of the $\frac{dx_1}{dt}$ - fi $(x_1, x_2, \ldots, x_p, t)$ type where is 1, 2, analyzed. The obvious solution of the system, i.e., x_m x_2 has been called, after Lyapunov, a solution of the adymptot Definitions and sufficient conditions from the latter are ganother Lyapunov's criterion (method), for the asymptotic s is presented and discussed by means of a series of theorems. Russian references (1946-1954).	± 0, ic stability. given, and tability,
Institute:	*****	
Presented by	: Academician V.I. Smirnov, September 3, 1954	







AVIDUV, VII

SUBJECT USSR/MATHEMATICS/Differential equations CARD 1/1 PG - 568

AUTHOR ZUBOV W.I.

TITLE Qualitative investigation of a system of ordinary differential

equations.

PERIODICAL Doklady Akad. Nauk 109, 899-901 (1956)

reviewed 2/1957

Let be given the system

$$\frac{dx}{dt} = f_1(x,y), \quad \frac{dy}{dt} = f_2(x,y), \quad \frac{dz}{dt} = f_3(x,y,z),$$

where the functions f_i (i=1,2,3) satisfy some conditions such that among others the system has a unique solution $x = x(t,x_0,y_0)$, $y = y(t,x_0,y_0)$, $z = z(t,x_0,y_0,z_0)$ for t = 0. The author investigates the asymptotic stability of the trivial solution in the large and with a sketchy proof he gives six sufficient and one necessary and sufficient condition of stability. Then under further assumptions the existence and number of boundary surfaces are investigated which separate the stable domain from the instable one. Furthermore it is established when the obtained qualitative image is stable at little changes of the function f_i (i=1,2,3).— In a certain regard the obtained results are more general than the well-known results of Erugin (Priklad.Mat.Mech 14, 5, (1950)), Krasovski (Priklad.Mat.Mech.17, 6, (1953)) and Pliss (ibid. 17, 5, (1953)).

ZUBOV V.1.

SUBJECT USSR/MATHEMATICS/Differential equations CARD 1/2 PG - 49

AUTHOR
TITLE
The representation of the solutions of the systems of differential

equations in the neighborhood of a singular point.

PERIODICAL Doklady Akad. Nauk 109, 1095-1097 (1956)

reviewed 1/1957

The author considers the system

(1)
$$\sum_{s=1}^{n} \frac{\partial z_{1}}{\partial x_{s}} \left(\sum_{i=1}^{n} p_{si}(t) x_{i} + X_{s}(x_{1}, \dots, x_{n}, z_{1}, \dots, z_{k}, t) \right) + \frac{\partial z_{1}}{\partial t} =$$

$$= \sum_{i=1}^{k} q_{ji}(t)z_{i} + \sum_{i=1}^{n} r_{ji}(t)x_{i} + Z_{j}(x_{1}, \dots, x_{n}, z_{1}, \dots, z_{k}, t)$$
 (j=1,...,k).

It is assumed that X_s and Z_j admit series developments with respect to integral positive powers of $x_1,\dots,x_n,z_1,\dots,z_k$, where the coefficients of these series are real, continuous and bounded functions of t for t > 0. Also $p_{si}(t)$, $q_{ji}(t)$ and $r_{ij}(t)$ are real, continuous and bounded for t > 0. It is stated that under certain assumptions there exists a group of functions $z_j(x_1,\dots,x_n,t,c_1,\dots,c_k)$ $(j=1,\dots,k)$ having the following property: Every z_j depends on β constants, in a region $|x_j| \leq x_0(t) \neq 0$, $t \in [0,+\infty]$ it can be developed in a series and it

Doklady Akad. Nauk 109, 1095-1097 (1956) CARD 2/2

satisfies (1). If especially p_{si} , q_{ji} and r_{ji} are constants and X_{g} , Z_{j} are independent of t and analytic in a neighborhood of zero; if further N_{g} (s=1,...,n) and M_{1} (l=1,...,k) are the eigennumbers of the matrices $P = \|p_{g1}\|$ and $Q = \|q_{ji}\|$, then the following theorem is valid: If 1) Re $N_{g} < 0$ (s=1,...,n), 2) $N_{g} = M_{g}$, $Y \le \beta$, then there exists a group of functions $Z_{j}(x_{1},...,x_{n},x_{$

where $z_j^{(m)}$ are forms of m-th degree with respect to x_1, \dots, x_n and their coefficients are polynomials in c_1, \dots, c_p and $\ln x_1$.

b. The functions z_j satisfy the system with constant coefficients.

ZUBOV, V. I.

"Conditions for Asymptotic Stability in the Case of Housteady-State Motion and an Evaluation of the Rate of Diminishment of the General Solution," by V. I. Zubov, Vestnik Leningradskogo Universiteta, Seriya Matematiki, Makhaniki i Astronomii, No 1, Issue 1, 1957, pp 110-129

The second residence because the first the second second

Studies the system of n-differential equations

$$\frac{dx_1}{dt} = x_1(x_1, \dots x_n, t), i = 1, \dots n$$

where $X_1(x,t)$ are given when $x_1 \in (-\infty, +\infty)$, $t \in (-\infty, +\infty)$ i = 1, ...n, satisfy the conditions guaranteeing the existence of the single solution.

$$x(t, x_0, t_0) = \left\{x_1(t, x_1^0, \dots x_n^0, t_0), \dots x_n(t, x_1^0, \dots x_n^0, t_0)\right\},$$
reverting to x_0 when $t = t_0$, where x_0 , t_0 are any finite values.

This article, which was presented at a conference on general mechanics held in May 1955, formulates conditions of nonlocal asymptotic stability with which it is possible to determine the entire region of asymptotic stability. The author presents a method of estimating the general solution to cases of asymptotic stability.

SUM. 1287

PHASE I BOOK EXPLOITATION

10

Zubov, Vladimir Ivanovich

Metody A.M. Lyapunova i ikh primeneniye (Methods of A.M. Lyapunov and Their Use) [Leningrad] Izd-vo Leningradskogo univ-ta, 1957. 240 p. 2,800 copies printed.

Sponsoring Agency: Leningradskiy ordena Lenina Gosudarstvennyy Universitet imeni A.A. Zhdanova

Resp. Ed.: Khavin, V.P.; Ed.: Moiseyeva, L.V.; Tech. Ed.: Vodolagina, I.S.

PURPOSE: This book is intended for students of advanced University courses, graduate students and scientific workers; it may also be used by engineers desirous of a deeper understanding of stability theory.

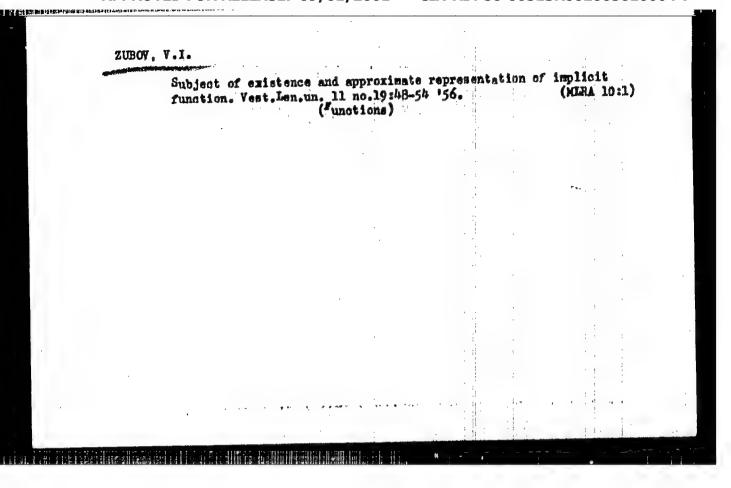
Card 1/8

Methods of A.M. Lyapunov and Their Use

10

· COVERAGE: The monograph is closely related to the well-known work by A.M. Lyapunov, General Problems of Stability of Motion. The author attempts to aquaint the reader with recent results in the theory of stability of motion and to give some results of his own investigation in this field of mathematics. He presents an extension of Lyapunov's second method, which makes it possible to develop a theory of the stability of invariant sets of dynamical systems and of more general systems in metric space. He proposes a method of construction of a family of solutions of a system of ordinary differential equations. Results obtained are applied to the solution of the problem of stability for systems of ordinary and partial differential equations. The author thanks the following for their help in preparing the book: N.P. Yerugin, V.V. Nemytskiy, Academician V.I. Smirnov, Docent A.P. Tuzov, V.R. Petukhov, graduate student, and D.A. Vladimirov, instructor in mathematics and machanics at Leningrad State University. The foreword is by The book has 41 references, 36 of which are Academician Smirnov. Soviet, 3 French and 1 German.

Card 2/8



LUBULI

USSR/MATHEMATICS/Differential equations

PG - 702 CARD 1/1

Subject AUTHOR

TITLE

PERIODICAL

The investigation of the neighborhood of the state of equilibrium

of a system of differential equations. Doklady Akad. Nauk 110, 169-171 (1956)

reviewed 4/1957

Let be given the system

$$\frac{\mathrm{d}\mathbf{x}_{\mathrm{g}}}{\mathrm{d}t} = \sum_{\mathbf{m}=n}^{\infty} \mathbf{x}_{\mathrm{g}}^{(\mathbf{m})} \qquad (\mathrm{g=1}, \ldots, n),$$

X(m) are homogeneous forms of m-th order in the variables x1,...,xn Here the coefficients of the $X_5^{(\mu)}$ are real constants while the coefficients of the $X_n^{(m)}$, m > M are bounded functions of t which are defined on $(0,+\infty]$ and continuous on [0,+00]. The series in the right sides of the equations converge for $t \geqslant 0$ and sufficiently small $|x_i|$. The author gives necessary and sufficient conditions for the asymptotic stability of the trivial solution of (1) for arbitrary forms $\chi_8^{(m)}$, m>M.

INSTITUTION: University Leningrad.

20-5-7/60 An Investigation of the Stability Problem for Systems of AUTHOR Equations with Homogeneous right-hand Terms. TITIE (Issledovaniye adachi ob ustoychivosti dlya sistem uravneniy s odnorodnymi pravymi chastyami. - Russian) Doklady Akademii Nauk 389R 1957, Vol 114, Nr 5, PERIODICAL pp 942-944 (USSR) The present paper determines the conditions of the asymptotic stability of the zero solution of a system ABSTRACT of ordinary differential equations with homogeneous right sides. The author further provides exact evaluations of the distance from the integral curve up to position of equilibrium and reports on various applications of the results obtained. The author at first defines the conceptions of the homogeneous order and the positive order respectively. He then investigates the system of the ordinary differential equations $dx_a/dt = x_a^{(\mu)} (x_1, \dots, x_n) (s = 1, \dots)$ CARD 1/2

20-5-7/60

An Investigation of the Stability Problem for Systems of Equations with Homogeneous right-hand Terms.

Such an integral curve of the above mentioned systems (1) is here denoted with

 $X = X(t, X^{(0)}),$

so that $X(0,X^{(0)}) = X^{(0)}$ is true. X here is the real n-dimensional vector (x_1, \ldots, x_n) . Naturally a family of integral curves exists together with the integral curves of the system (1) mentioned above which depends upon an arbitrary constant c. Next 7 theorems and 2 corrollaries are given. (No Illustrations)

ASSOCIATION: Leningrad State University "A.A. ZHDANOVA"

(Leningradskiy gosudarstvennyy universitet im. A.A.

Zhdanova .- Russian)

PRESENTED BY: V.I.SMIRNOV, member of the Academy, 7.1.1957

SUBMITTED: 2.1. 1957

AVAILABLE: Library of Congress.

CARD 2/2

AUTHOR:	Zubov, V.I. 50v/140 -58-1-B/2?
TITLE:	On Systems of Ordinary Differential Equations With Generalized- Homogeneous Right Sides (O sistemakh obyknovennykh different- sial'nykh uravneniy s obobshchenno-odnorodnymi pravymi chast- yami)
PERIODICAL:	Izvestiya vysshikh uchebnykh zavedeniy Kinisterstva vysshego obrazovaniya SSSR, Matematika, 1958, Nr 1, pp 80-88 (USSR)
ABSTRACT:	A real continuous function $f(x_1, \dots, x_n)$ defined in E_n is denoted as generalized-homogeneous of class (m_1, \dots, m_n) and order m , if for all c , $-\infty < c < +\infty$ it holds: $f(c x_1, \dots, c x_n) = c^m f(x_1, \dots, x_n)$, where m and m are positive rational numbers with odd denominators. Theorem: In order that $f(x_1, \dots, x_n)$ be generalized-homogeneous of class (m_1, \dots, m_n) and order m , it is necessary and sufficient that it satisfies the equation
Card 1/4	$\sum_{i=1}^{n} m_i \times_i \frac{\partial x_i}{\partial x_i} = mV.$

On Systems of Ordinary Differential Equations With Generalized-Homogeneous Right Sides

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Let the system

(1)
$$\frac{dx_i}{dt} - x_i (x_1, ..., x_n)$$
, $i = 1, ..., n$

be considered, where X are generalized-homogeneous of class

$$(m_1, \dots, m_n)$$
 and order $\sigma' + m_1; \sigma' + m_1 > 0$, $\delta' = \frac{\sigma_1}{q_1}$, $q_1 - odd$.

Let A(c) denote the diagonal matrix with the elements

Theorem: If $X = X(t,X^{(0)})$ is an integral curve of (1), then

 $Y(t) = A(c)X(tc^{6}, X^{(0)})$ is a family of integral curves of

(1), so that $Y = A(c)X^{(0)}$ for t = 0 and consequently

 $Y = X(t,A(c)X^{(0)}$

The last theorem is used for the determination of the asymptotically stable systems (1).

Theorem: The zero solution of (1) can be asymptotically

Card 2/4

On Systems of Ordinary Differential Equations With Generalized-Homogeneous Right Sides

SOV/140-58-1-8/21

stable for arbitrary complex disturbances only if 6 = 0. The zero solution of (1) can be asymptotically stable for

arbitrary real disturbances only if $6' = \frac{2k}{q_1}$, k - integer.

Theorem: In order that the zero solution of (1) be asymptotically stable, it is necessary and sufficient that there are two continuous functions V and W defined on E_n which possess the following properties: 1. $W(x_1, \ldots, x_n)$ is negative-definite, $V(x_1, \ldots, x_n)$ is positive-definite; 2. V and W are generalized-homogeneous of class (m_1, \ldots, m_n) and orders m - 0 and m respectively; 3. V is continuously differentiable along the integral curves of (1), where

 $\frac{dV}{dt} = W .$

Card 3/4

Theorem: For the asymptotic stability of the zero solution of (1) for 6 > 0 it is necessary and sufficient that the domain

On Systems of Ordinary Differential Equations With Generalized-Homogeneous Right Sides

SOV/140 - 58-1-8/21

of the asymptotic stability of the zero solution of the system

$$\frac{dy_i}{dt} = -m_i y_i - x_i (y_1, \dots, y_n)$$

The developed theory is applied in two further theorems to stability investigations in the first approximation. The asymptotic stability and boundedness of the solutions of

(2)
$$\frac{dx_i}{dt} = X_i (x_1, ..., x_n) + f_i (t, x_1, ..., x_n)$$

is concluded for sufficiently small f, from the asymptotic stability of (1).

There are 3 Soviet references. October 16, 1957

SUBMITTED:

Card 4/4

Stability Conditions Over Finite Time Intervals (Differential Equations)

1-F\W

7136:
Zuhov, V.I. Über die Stabilitätsbedingungen in einer endlichen Zeltstrecke und über die Bestimmung der Länge des Intervalls. Bul. Inst. Politehn. Iași (N.S.) 4(8) (1958), 69-74. (Russian. German and Romanian summaries)

The system dealt with is the n-vector system

 $\dot{x} = P(t)x + X(x, t),$

where *P(t)* is bounded continuous, and the components of *X* are convergent power series in the *x_t* beginning with terms of degree ≥2 whose coefficients are continuous and bounded functions of *t*. The problem under discussion has already been dealt with by Kamen [Akad. Nauk SSSR. Prikl. Mat. Meh. 17 (1953), 529-540; MR 15, 795], Lebedev [ibid. 18 (1954), 75-94, 139-148; MR 16, 132] and Kamenkov and Lebedev [ibid. 18 (1954), 512; MR 16, 361], but they did not determine accurately the time interval

in which the origin is stable. In the present note the author determines necessary and sufficient conditions of stability for a finite interval and also gives a method for computing the length of the interval.

The author uses the following definition of stability: Given a definite positive quadratic form, V(x), the origin is stable relative to V on the time interval τ if

 $V(x(t, l_0, x_0)) < A$

for $l \in [t_0, t_0+r]$ and $V(x_0) \le A$, where A is sufficiently small. Theorem 1: A sufficient condition for the stability just stated whatever X for suitable small r and A is that the characteristic roots of $P(t_0)$ have negative real parts. The calculation of A and r is outlined. Theorem 2: If not all of the characteristic roots of $P(t_0)$ have negative real parts, th. 1 does not hold S. Leischetz (Mexico, D.F.)

plicities s₁,s₂,....

Card 1/3

80V/140-58-6-9/27 AUTHOR: Zubov. V.I. TITLE: On the Theory of Linear Stationary Systems With a Retarding Argument (K teorii lineynykh statsionarnykh sistem s zapazdyvayushchim argumentom) PERIODICAL: Izvestiya vysshikh uchebnykh zavedeniy. Matematika 1958. Nr 6. pp 86-95 (USSR) ABSTRACT: The author joins the well-known paper of Myshkis Ref 21 and considers the equation $\frac{dx(t)}{dt} = \int [dG(\beta)]x(t+\beta),$ where X is an n-dimensional vector, G(A) is a matrix, the elements $G_{se}(A)$ of which are functions of bounded variation on [-h,0]. Let $A(\lambda) = \int_{\mathbb{R}^{n}} e^{\lambda \mathcal{Q}} dG(\lambda) - \lambda E,$ let $\lambda_1, \lambda_2, \ldots$ be the roots of $\Delta A(\lambda) = 0$ appearing with multi-

 On the Theory of Linear Stationary Systems With a Retarding Argument

Theorem: To every root λ_j there corresponds a solution of (1):

$$X_{j}(t) = \frac{1}{2\pi i} \int_{\overline{C}_{1}^{+}}^{a} e^{\lambda t} A^{-1}(\lambda) F(\lambda) d\lambda \qquad j=1,2,...,$$

where $F(\lambda)$ is an analytic function unique in C_i^+ , where C_i^+ is a circle containing no roots λ beside of λ_{j} . Let C_0 be the class of continuous functions $\varphi(t)$, $\varphi(-h_1) = 0$

satisfying the Dirichlet conditions on [-h, ,0]. Let

$$B(\lambda, \varphi) = \int_{h_1}^{0} e^{\lambda \theta} d\theta \int_{-h_1}^{0} e^{-\lambda \tau} \varphi(\tau) d\tau - \lambda \int_{h_1}^{0} e^{-\lambda \tau} \varphi(\tau) d\tau - \varphi(0),$$

where G(A) = G(-h) for $A \in [-h]$, -h]. G + i coTheorem: The function $X(t) = \frac{V \cdot P}{2\pi i} \int_{-\infty}^{\infty} e^{\lambda t} A(\lambda)^{-1} B(\lambda, \varphi) d\lambda$,

Card 2/3

On the Theory of Linear Stationary Systems With a Retarding Argument

SOV/140-58-6-9/27

 $\delta > c$, is a continuous solution of (1) satisfying the condition $X(t) = \varphi(t)$, $t \in [-h_p 0]$, $\varphi \in C_o$.

Theorem: If all λ lie in the left half-plane, then the zero solution of (1) is asymptotically stable, where a certain estimation is valid.

Five further theorems contain assertions on the asymptotic developments of the solutions with respect to certain functions and on the existence of periodic and almost-periodic solutions. There are 7 references, 5 of which are Soviet, 1 American, and 1 English.

ASSOCIATION: Leningradskiy gosudarstvennyy universitet imeni A.A. Zhdanova (Leningrad State University imeni A.A. Zhdanov)

SUBMITTED: February 26, 1958

Card 3/3

AUTHOR:

Zubov V T (Leningrad)

40-22-1-4/15

TITLE:

On a Method for the Investigation of the Stability of Zero Solutions in Doubtful Cases (Ob odnom netode issledovaniya ustoychivosti nulevogo resheniya v somnitel'nykh sluchayakh)

PERIODICAL:

Prikladnaya Matematika i Mekhanika, 1958, Vol 22, Nr 1, pp 46 - 49 (USSR)

ABSTRACT:

The author investigates a method for the investigation of the stability of zero solutions of a system of n+k ordinary differential equations which is suitable even for doubtful cases. The method consists in the investigation of the stability of the zero solution of systems of k and n equations separately, whereby these systems of equations are obtained from the initial system. The author investigates systems of the form

(1)
$$\frac{dy_{g}}{dt} = f_{g}(x_{y}, y_{y}, t)$$
; $\frac{dx_{j}}{dt} = g_{j}(x_{y}, y_{y}, t)$ (g=1..k)(j=1..n)

The functions on the right sides are assumed to be defined in a vertain domain and to be continuous. At first the notions of the stability according to Lyapunov and of the sc-called "strong"

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On a Method for the Investigation of the Stability of Zero Solutions in Doubtful Cases

40-22-1-4/15

stability are defined and then four theorems are proved which hold for the connection of the stability of the zero solution of the initial system with the properties of the partial systems. The investigation method is similar to Lyapunov's methods. A similar method for the investigation of the zero solution of differential equations was really already given by Lyapunov in his paper [Ref 3]. This method was developed by Malkin [Ref 4] and some parts of the results of Malkin were directly taken over by the author. There are 4 Soviet references.

SUBMITTED:

April 29, 1957

Card 2/2

4 4

! AUTHOR: Zubov. V.I. 20-118+2-5/60 On the Reduction Principle (O printsipe svedeniya) TITLE: Doklady Akademii Nauk, 1958, Vol 118, Nr 2, pp 228-230 (USSR) PERIODICAL: The author considers the system ABSTRACT: $\frac{dy_{g}}{dt} = f_{g}(t, x_{1}, ..., x_{n}; y_{1}, ..., y_{k}) \qquad s = 1, ..., k$ $(1)_{\frac{dx_{j}}{dt}} = g_{j}(t, x_{1}, ..., x_{n}; y_{1}, ..., y_{k}) \qquad j = 1, ..., n$ where the right sides are assumed to be continuous in a certain domain. In the case $f_s = 0$ for $y_1 = \dots = y_k = 0$ and $g_j = 0$ for $x_1 = \cdots = x_n = y_1 = \cdots = y_k = 0$ which is difficult for stability investigations the author reduces the stability problem to the consideration of the partial systems of order k and j respectively arising from (1), e.g. = $\mathcal{E}_1(t,x_1,...,x_n,0,...,0)$. The method can be denoted as a development of Lyapunov's ideas and of a paper of Malkin Card 1/2

On the Reduction Principle

[Ref 1] . There are 6 Soviet references.

ASSOCIATION: Leningradskiy gosudarstvennyy universitet imeni A.A.

Zhdanova (Leningrad State University imeni A.A. Zhdanov)

PRESENTED: July 1, 1957, by V.I. Smirnov, Academician

SUBMITTED: June 26, 1958

AVAILABLE: Library of Congress

Card 2/2

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PHASE I BOOK EXPLOTATION

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Zubov, Vladimir Ivanovich

Matematicheskiye metody issledovaniya sistem avtomaticheskogo regulirovaniya (Mathematical Methods of Investigation of Automatic Control Systems)
Leningrad, Sudpromgiz, 1959. 323 p. Errata slip inserted. 6,500 copies printed.

Scientific Ed.: V. I. Chernetskiy; Ed.: Yu. S. Kazarov; Tech. Ed.: A. I. Kontorovich.

FURPOSE: This book is intended for scientific workers and engineers in the field of automatic control.

COVERAGE: In the book a study is made of the mathematical methods of studying the stability of steady-state motions in nonstationary systems and an evaluation of the deviations of transient processes from steady-state motions is given. Methods are presented for constructing the solutions of certain nonstationary systems of differential equations, to the study of

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thematical Methods (Cont.)			BOV/2657		
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of initial data and in the author thanks Yu. O. Shtere B. I. Korobochkin, and L. There are 68 references: 6	Soviet. 5 Englis	h, 2 Frenc	h, and 1 G	erman.	
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16(1) AUTHOR:	Zubov, V.I.	sov/39-48-2-3/9
TITLE:	Some Problems of Motion Stability Matematicheskiy sbornik, 1959, Vol 4	8,Nr 2,pp 149-190 (USSR)
PERIODICAL: ABSTRACT:	Chapter I. The representation of the differential equations in the neigh	borhood of singular initial
	$\frac{dy_s}{z} = \sum_{p=1}^{n} p_{1}(z)y_s + p_{2}(z)z + Y_s$	(z,y_1,\ldots,y_n) s=1,2,,n
	where Y _s = $\sum_{m+m_1+\cdots+m_n\geq 2}^{(m,m_1,\cdots,m_n)}$	$(z) = y_1^{m m_1} \dots y_n^{m_n} \text{ for } z < z_1,$
ı	where $Y_s = \sum_{m+m_1+\cdots+m_n \ge 2} P_s$ $z_1 > 0 \text{ constant, and let } y_j < y_0 $ $(m, m_1, \dots, m_n) (z_j)$	onverge; let the functions
	$p_{si}(z), p_{s}(z), p_{s}(z), p_{s}(0,1]$. Let M_{1} ,	, be the characteristic
Card 1/3	numbers of $\frac{dy_s}{dt} = -\sum_{i=1}^{n} p_{si}(e^{-t})y_i$, s=1,,n ·

Some Problems of Motion Stability

307/39-48-2-3/9

Theorem: Let $\mu_i > 0$ for $i \le 1$; let (2) be regular. Then (1) has a family of solutions depending on 1 constants and being representable by series

 $y_{s} = \sum_{m+m_{1}+\cdots+m_{2}\geq 1} K_{s}^{(m,m_{1},\cdots,m_{1})} (z) z^{m+\sum_{l=1}^{m} l^{l} l^{l}} C_{1}^{m_{1},\cdots C_{1}}$

converging for $|z| \le z_0$, $|c_j| \le c_0$, where $z \le \beta$ and $c_0 z \le \beta$, where β is a sufficiently small constant, $c_0 > 0$, $z_0 > 0$ constant. It

holds: K_g (z)z \longrightarrow 0 for z \longrightarrow 0, where ∞ >0 is constant. The author gives several conclusions, especially for the case where p_{gi} , p_g , P_g are constants.

Chapter II: Investigation of the stability in some critical cases. The author joins the papers of A.M.Lyapunov, N.P.Yerugin, and A.A.Shestakov and considers: the qualitative image of the state of equilibrium for $x_s' = f_s(x_1, \dots, x_n)$; the asymptotic

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Some Problems of Motion Stability

SOV/39-48-2-3/9

stability of $x_8^1 = \sum_{n=1}^{\infty} x_8^{(m)}(t,x_1,...,x_n)$, where the $x_8^{(m)}$ are

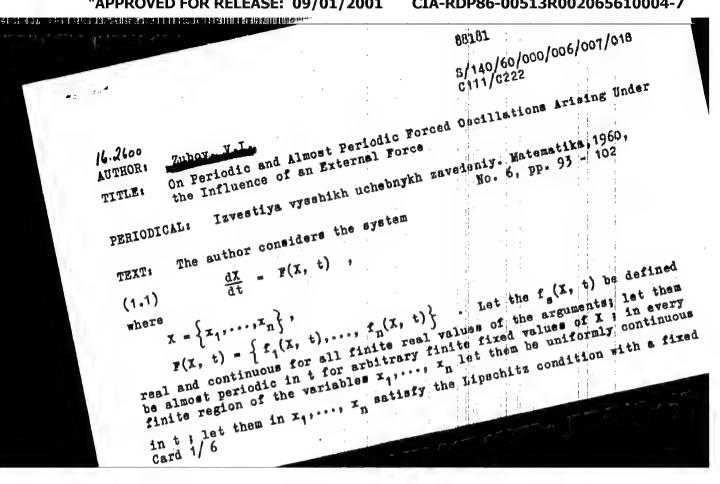
homogeneous forms of m-th degree; the analytic representation of O-curves of this system (compare Nem iskiy / Ref 6 /); the case of some pairs of purely imaginary roots. The paper contains 25 theorems and numerous conclusions, lemmas, and remarks. A part of the results overlaps with known results. The author thanks V.I.Smirnov, and V.V.Nemytskiy for the interest in this

There are 21 references, 15 of which are Soviet, 3 German, and

3 French.

SUBMITTED: September2, 1957

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On Periodic and Almost Periodic Forced Oscillations Arising Under the

Influence of an External Force

Definition 2: Let (1.1) have the property of convergence if (1.1) has a unique almost periodic solution $X = \phi(t)$, where 1. For every $\epsilon > 0$ exists a $\delta(\epsilon) > 0$ so that from $|X_0 - \phi(t_0)| < \delta(\epsilon)$ it follows $|X(t,X_0,t_0)| = \delta(\epsilon)$ 2. In every finite domain of variation of for $t - t_0 \rightarrow + \infty$ uniformly in $t_0 > -\infty$ it holds: $|X(t,X_0, t_0)|$ for t≥to. - (t) | < € Theorem 1 : In order that (1.1) has the property of convergence it is

1. every solution X(t,X0,t0) of (1.1) is bounded for tot; 2. to every r>0 and ε >0 there exists a $\delta(\varepsilon,r)$ >0 so that if $|X_0-Y_0| < \delta(\varepsilon,r)$ is satisfied then it holds $|X(t,X_0,t_0)-X(t,Y_0,t_0)| < \delta(\varepsilon,r)$ $< \varepsilon$ for $t > t_0$ and $|X(t,X_0,t_0) - X(t,Y_0,t_0)| \rightarrow 0$ converges uniformly

with respect to $t_0 > -\infty$ for $t - t_0 \rightarrow +\infty$; $|X_0| < r$; $|Y_0| < r$.

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5/140/60/000/006/007/018 881.81 C111/C222

On Periodic and Almost Periodic Forced Oscillations Arising Under the

Influence of an External Force

3. for a fixed X_0 , for every $\varepsilon>0$ there exist such numbers 1 and T that in every interval (d,d+1) there exists at least one c so that $|x(t+\overline{c}, x_0, t_0) - x(t, x_0, t_0)| < \varepsilon$ holds for $t > t_0 + T$ and $t + \mathcal{T} \gg t_0 + T$. The magnitudes \mathcal{T} are the almost-periods of the right

sides of (1.1) in a certain region. Theorem 2 : Let the following conditions be satisfied : 1. There exists a function V_{q} (X,t) so that :

a) it is defined, real and continuous for all real X,t;

b) $V_1 \rightarrow +\infty$ for $|X| \rightarrow +\infty$ uniformly in $t > +\infty$; c) in the region $|X| \ge r_1$, where r_1 is a certain positive constant, V_1

has a non-positive total derivative in which the derivatives $\frac{dX}{dt}$

d) V_t is uniformly bounded with respect to $t < +\infty$ in every finite region

r1 < |x| < r .

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5/140/60/000/006/007/018 C111/C222

On Periodic and Almost Periodic Forced Oscillations Arising Under the

Influence of an External Force

2. There exists a function V(X,Y,Z,t) so that

every finite region $|Z| \le S$; the function $W(X,Y,Z,t) = \frac{\partial V}{\partial t} + \sum_{i=1}^{n} \left[\frac{\partial V}{\partial X_i} f_i(X,t) + \frac{\partial V}{\partial Y_i} f_i(Y,t) + \frac{\partial V}{\partial X_i} f_i(Y,t) \right]$

+ $\frac{\partial V}{\partial Z_1}$ (f₁ (Z + Y,t) - f₁ (Y,t))] is negative definite in Z in every

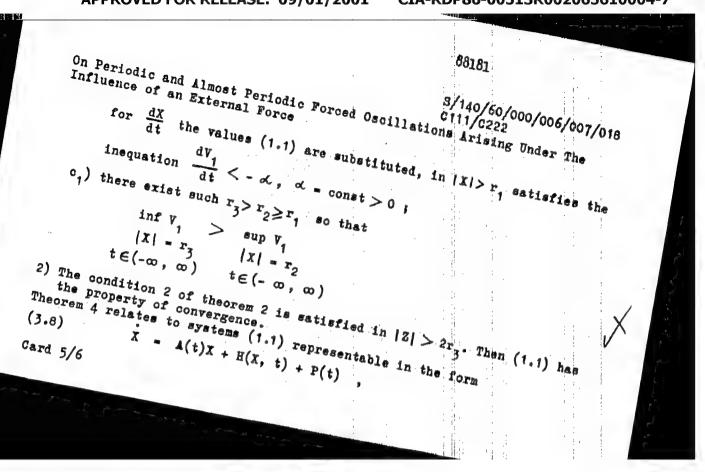
finite region |Z| < g; the partial derivatives of V with respect to all arguments are continuous and uniformly bounded in t in every bounded region of the

Then (1.1) has the property of convergence. Theorem 3 : Let the following conditions be satisfied :

1) There exists a $V_1(X,t)$ so that

 a_1) $V_1(X,t)$ has the properties a) b) d) of theorem 2;

 b_1) there exists an $r_1>0$ so that the total derivative of V_1 in which Card 4/6



S/140/60/000/006/007/018 C111/C222

On Periodic and Almost Periodic Forced Oscillations Arising Under the Influence of an External Force

and gives sufficient conditions that (3.8) has the property of convergence.

There are 3 references : 2 Soviet and 1 Czecho-Slovakian.

ASSOCIATION: Leningradskiy gosudarstvennyy universitet (Leningrad State University)

SUBMITTED: November 29, 1958

Card 6/6

x₁,..., x_n. Card 1/4

89502 s/043/60/000/001/008/014 0 111/ 0 333 16.3400 Zubov, V. J. AUTHOR: On almost periodic solutions of systems of differential TITLE: equations Leningrad. Universitet. Vestnik. Seriya matematiki, mekhaniki i astronomii, 5 no. 1, 1960, 104-106 PERIODICAL: The author considers TEXT: (1) $\frac{\mathrm{d}X}{\mathrm{d}t} = F(X,t)$ where $X = (x_1, ..., x_n),$ $F(X,t) = \{f_1(X,t), ..., f_n(X,t)\}$ Let the f(X,t) be defined for all finite real values of the arguments, real and continuous; almost periodic for fixed X in t; uniformly continuous in t in every finite domain of the x_1, \ldots, x_n . The f(X,t) satisfy a Lipschitz condition with a fixed constant in x_1, \ldots, x_n .

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On almost periodic solutions . . . C 111/ C 335

Definition: (1) is said to possess the property of convergence if it has a unique almost periodic solution $x = \phi(t)$ and 1.) to every $\mathcal{E} > 0$ there exists a $\sigma(\mathcal{E}) > 0$ so that from $|x_0 - \phi(t_0)| < \sigma(\mathcal{E})$ it follows $|x(t,x_0,t_0) - \phi(t)| < \mathcal{E}$ for $t = t_0$. 2.) $|x(t,x_0,t_0) - \phi(t)| > 0$ for $t - t_0 \to +\infty$ uniformly in $t_0 > -\infty$ in every finite domain of x_0 .

Theorem 1: In order that (1) possesses the property of convergence it is necessary and sufficient that 1.) every solution $x(t,X_0, t_0)$ of (1) is bounded for $t \ge t$; 2.) to every r > 0, E > 0 there exists a $\delta(E,r) > 0$ so that from $|x_0-y_0| < \delta(E,r)$ it follows: $|X(t,x_0,t_0) - X(t,y_0,t_0)| < E$ for $t \ge t_0$ and $|X(t,x_0,t_0) - X(t,y_0,t_0)| < x_0$.

 \rightarrow 0 for t - t_o \rightarrow + ∞ uniformly in t_o > - ∞ , $|x_o| < r$, $|y_o| < r$.

3.) For fixed x there exist 1 and T to every $\varepsilon > 0$ such that in every interval (∞ , ∞ +1) there exists at least one ε so that

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On almost periodic solutions . . . C 111/ C

|X (t+T, x₀,t₀) - X(t,x₀,t₀)| < E for t \(\frac{1}{2} \) t₀ + T and t + T \(\frac{1}{2} \) t₀ + T.

Theorem 2: Assume that the following conditions are satisfied: 1. There exists a function $V_1(X,t)$ which is real and continuous for all finite values of the arguments, uniformly bounded relative to $t < +\infty$ in every domain $r_1 < |X| < r$, tends uniformly to $+\infty$ relative to $t > -\infty$ for $|X| \to +\infty$, and which possesses a nonnegative total derivative $\frac{dV}{dt}$ in $|X| \ge r_1 > 0$ (in which the $\frac{\partial x}{\partial t}$ are substituted.

according to (1)). 2. There exists a function V(X,Y,Z,t) with the properties a.) V is positive definite and admits an infinitely small upper bound in every domain |Z| < g; b.) the function

 $W(X,Y,Z,t) = \frac{\partial t}{\partial t} + \sum_{i=1}^{n} \left[\frac{\partial x_{i}}{\partial y} \cdot f_{i}(X,t) + \frac{\partial Y_{i}}{\partial y} \cdot f_{i}(Y,t) + \frac{\partial Z_{i}}{\partial z_{i}} \right]$

 $(f_1(Z+Y,t)-f_1(Y,t))$ is negative definite in Z in every finite domain |Z| < 9; c.) the partial derivatives of V relative to all arguments are continuous and uniformly bounded in t in every Card 3/4

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On almost periodic solutions . . . C 111/ 0 333

bounded domain of X, Y, Z. Then (1) possesses the property of convergence. Theorem 3 and 4 are simple consequences. The proofs of the theorems 1-4 are not given.

N. Ya. Lyashchenko is mentioned in the paper.

SUBMITTED: October 5, 1959

Card 4/4

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- .	s/020/60/132/03/05/066
	AUTHOR: Zubov, V.I. TITLE: Ergodic Classes of Recurrent Motions PERIODICAL: Doklady Akademii nauk SSSR, 1960, Vol. 132, No. 3, pp. 507-509 PERIODICAL: Doklady Akademii nauk SSSR, 1960, Vol. 132, No. 3, pp. 507-509 TEXT: A continuous function $f(t)$, $-\infty < t < \infty$ is called recurrent if to recurrent $\epsilon > 0$ and every $\epsilon > 0$ and ev
H .	convergence 2 . Let X (t),, 6 N(*)
	Definition 2. Let the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that for all λ_1 ,, N = $\infty < t < \infty$, with the property that N = $\infty < t < \infty$, with the property that N = $\infty < t < \infty$, with the property that N = $\infty < t < \infty$ = $\infty < t < \infty$, where N = $\infty < t < \infty$ = $\infty < t <$
	condition $\underset{k=1}{\angle}$ $k^{\alpha}k^{(\alpha)}$
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Ergodic Classes of Recurrent Motions

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(3)
$$\lim_{T\to\infty}\frac{1}{T}\int_{c}^{c} \left[\exp i\sum_{k=1}^{N}\lambda_{k}\gamma_{k}(t)\right] dt = 0$$

The class $H_N = H(\chi_1(t), \ldots, \chi_N(t))$ is the set of all recurrent functions f(t) which have the property that to every $\varepsilon > 0$ there exists a finite set of real linear forms $p_{1\varepsilon}$, $1 \le k_{\varepsilon}$ in $\chi_1(t), \ldots, \chi_N(t)$ and a $\delta > 0$ so that all compatible solutions of the system of inequations

(2)
$$|p_{1\varepsilon}(t+\tau) - p_{1\varepsilon}(t)| < \delta \pmod{2\pi}, 1 \le k_{\varepsilon}$$

for every fixed t satisfy the condition (1). Theorem 2 asserts that to every $f(t) \in H_N$ there exist at most countably many linear forms of the mentioned kind. Theorem 3 states that H_N is a complete linear space on the whole real axis

in the sense of the uniform convergence. Theorem 4: If $f(t) \in H_N$, then for every $\epsilon > 0$ there exists a trigonometric polynomial N_{ϵ} i $\mathcal{F}_{\mathbf{t}}(t)$

 $p_{\varepsilon} = \sum_{k=1}^{N_{\varepsilon}} c_k e^{k} N_{\varepsilon} < \infty$

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Ergodic Classes of Recurrent Motions

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so that $|f(t) - p_{\mathcal{E}}(t)| \le \mathcal{E}$; $\widehat{\kappa}_{k}(t)$ are finite linear forms of the functions $p_1(t)$, $p_2(t)$, of theorem 2.

Theorem 5 asserts that for every $f \in H_N$ or $f \in H_\infty$ there exists the mean value $M_t(f(t)) = \lim_{T\to\infty} \frac{1}{T}$ $\int_{0}^{\infty} f(t)dt$.

Theorem 6 : Every fe HN has at most countably many Fourier exponents and a unique Fourier series

 $f \sim \sum_{k=1}^{\infty} c_k e^{ip_k(t)}$ where $M_t (|f(t)|^2) = \sum_{k=1}^{N} |c_k|$

Theorem 7 and 8 treat Feyer sums of $f \in H_N$ and the representation of $f \in H_N$ by functions periodic in the limit value. The author mentions A.A. Markov, N.N. Bogolyubov, V.V. Stepanov and H.Ya.

Levitan. There are 7 references: 5 Soviet, 1 Swedish and 1 Hnglish.

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TITLE:

On the behavior of integral curves in a neighborhood of periodic motion

PERIODICAL: Prikladnaya matematika i mekhanika, v. 25, no. 2. 1961 303 - 31

TEXT: The basic case is considered,

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 $\dot{x} = f_1(x, y), \quad \dot{y} = f_2(x, y)$

(1.1)

where the $f_1(x, y)$ are defined in some region G of the xy plane, and are real, continuous and twice differentiable with continuous derivatives. There are 2 continuously differentiable real periodic functions

 $x = \varphi_1(t), \quad y = \varphi_2(t)$

(1.2)

obtained by solving (1.1) with period 21, whose graph M lies with-Card 1/7

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in G. (1.2) is said to be isolated if there exists a sufficiently small δ -neighborhood $S(M. 8) \subseteq G$ of the set M which does not contain the graphs of the second solution of (1.1). Isolated periodic solutions of (1.1) are called extreme cycles. An extreme cycle is solutions of (1.1) are called extreme cycles. An extreme cycle is 1) stable if there exists a sufficiently small neighborhood $S(M.6) \subseteq G$ such that all integral curves of (1.1) lying in S(M, 6) against the distance of (x, y) from M, then for $(x_0, y_0) \subseteq S(x, y)$, is the distance of (x, y) from M, then for $(x_0, y_0) \subseteq S(x, y)$,

 $M) \rightarrow 0 \text{ as } t \rightarrow + \infty$

 $x = x(t, x_0, y_0), y = y(t, x_0, y_0)$ (1.3)

is a solution of (1.1) passing through (x_0, y_0) for t = 0; 2) Unstable if there exists a sufficiently small neighborhood $S(M, \delta)$ such that for $(x_0, y_0) \Leftarrow S(M, \delta)$, $\rho((x, y), M) \longrightarrow 0$ as $t \longrightarrow -\infty$; 3) Semi-stable if there exists a sufficiently small neighborhood $S(M, \delta)$ such that it is divided by M into 2 regions S_1 and S_2 .

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such that $((x, y), h) \to 0$ as $t \to +\infty[-\infty]$, $(x_0, y_0) \in S_1$, $[(x_0, y_0) \in S_2]$. Examination of all possible curves shows that Lyapunov's stability conditions apply in this case. The general form of the equation of motion is

$$\frac{d\tau}{dt} = \frac{\int_{1}^{2}(t) + \int_{2}^{2}(t) - s_{1}df_{1}(t) / dt - s_{2}df_{2}(t) / dt}{\int_{1}(t) \int_{1}(s_{1} + \varphi_{1}, s_{2} + \varphi_{2}) + \int_{1}(t) \int_{2}(s_{1} + \varphi_{1}, s_{2} + \varphi_{2})}$$

$$\frac{ds_{1}}{dt} = \frac{d\tau}{dt} \int_{1}(z_{1} + \varphi_{1}, z_{2} + \varphi_{2}) - \int_{1}(t),$$

$$\frac{ds_{2}}{dt} = \frac{d\tau}{dt} \int_{2}(z_{1} + \varphi_{1}, z_{2} + \varphi_{2}) - \int_{8}(t)$$
(2.7)

where $\tau = \tau(t)$ (2.1). Lemma: $H(z_1, z_2, t)$ defined by

 $H(z_1, z_2, t) = z_1 f_1(t) + z_2 f_2(t), (f_1(t) = f_1(t), 2(t))$ is a solution of (2.7). Theorem: A periodic solution of the system (1.1) is stable in the Lyapunov sense if and only if the null soCard 3/7

On the behavior of integral ... D201/D302lution $\theta = 0$, $\xi = 0$ of $\frac{d\xi}{dt} = [f_1(a_1^*\xi + \varphi_1(t), a_2^*\xi + \varphi_2(t)) f_2(t) - f_3(a_1^*\xi + \varphi_1(t), a_2^*\xi + \varphi_2(t)) f_1(t)] \times \\ \times \frac{[f_1^*(t) + f_2^*(t) - (a_1^*df_1(t)) dt + e_2^*df_2(t) / dt) \xi]}{[f_1(t) f_1(a_1^*\xi + \varphi_1 - e_2^*\xi + \varphi_2)] + f_2(t) f_3(t) - a_2^* \frac{df_1(t)}{dt} - a_2^* \frac{df_1(t)}{dt}] \xi}$ $a_1^* = \frac{f_2(t)}{f_1^*(t) + f_2^*(t)}, \quad a_2^* = -\frac{f_1(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}, \quad a_2^* = -\frac{f_2(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}, \quad a_2^* = -\frac{f_2(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}, \quad a_2^* = -\frac{f_2(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}, \quad a_2^* = -\frac{f_2(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}, \quad a_2^* = -\frac{f_2(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}, \quad a_2^* = -\frac{f_2(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}, \quad a_2^* = -\frac{f_2(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}, \quad a_2^* = -\frac{f_2(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}, \quad a_2^* = -\frac{f_2(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}, \quad a_2^* = -\frac{f_2(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}, \quad a_2^* = -\frac{f_2(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}, \quad a_2^* = -\frac{f_2(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}, \quad a_2^*(t) = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}, \quad a_2^*(t) = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}, \quad a_2^*(t) = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}, \quad a_2^*(t) = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}, \quad a_2^*(t) = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}, \quad a_2^*(t) = \frac{f_2(t)}{f_2^*(t) + f_2^*(t)}$ $a_1^* = \frac{f_2(t)}{f_2^*(t) + f_$

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 $\frac{d\theta}{dt} = \sum_{k=1}^{\infty} a_k(t) \, \xi^k, \qquad \frac{d\xi}{dt} = \sum_{k=1}^{\infty} b_k(t) \, \xi^k \tag{3.1}$

where the series converge for $\xi < r$, r > 0. Writing

 $G_1 = \int_0^{2\pi} b_1(t) dt = \int_0^{2\pi} \left[\frac{\partial f_1(\varphi_1(t), \varphi_2(t))}{\partial x} + \frac{\partial f_2(\varphi_1(t), \varphi_2(t))}{\partial y} \right] dt$ (3.3)

where

 $b_1(t) = \frac{\partial f_1(\varphi_1(t), \varphi_2(t))}{\partial x} + \frac{\partial f_2(\varphi_1(t), \varphi_2(t))}{\partial y} + \frac{1}{2} \frac{\partial}{\partial t} \ln \left[f_1^2(t) + f_2^2(t) \right]$ (3.2)

it follows that for $G_1 < 0$, (1.2) is a stable extreme cycle and is stable in the Lyapunov sense, and for $G_1 > 0$, (1.2) is an unstable Card 5/7

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extreme cycle, stable in the Lyapunov sense as t -- -co. Writing

$$\xi = \eta \exp \int_0^t b_1(t) dt \qquad (3.4)$$

$$\frac{d\theta}{dt} = \sum_{k=1}^{\infty} a_k^0(t) \eta^k, \qquad \frac{d\eta}{dt} = \sum_{k=0}^{\infty} b_k^0(t) \eta^k \qquad (3.5)$$

$$\eta = c + g_2(t)c^2 + \cdots + g_k(t)c^k + \cdots$$
 (3.6)

it follows that $G_m \neq 0$ for $m \geq 2$. Theorem: If m is odd and $G_m < 0$, then (1.2) is a stable extreme cycle. If $\ell+1 > m$ then it is stable in the Lyapunov sense, and if $\ell+1 < m$ it is unstable in the Lyapunov sense. If m is odd and $G_m > 0$, then (1.2) is an unstable extreme cycle. If $\ell+1 > m$ it is stable in the Lyapunov sense as $t \to -\infty$, and if $\ell+1 < m$ it is unstable in the Lyapunov sense.

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If m is even, then (1.2) is semi-stable. If $\ell+1>m$ then (1.2) is conditionally stable in the Lyapunov sense in the direction, in which the integral curves of (1.1) approach M. If $\ell+1< m$ the conditions for stability do not occur. This theorem is necessary and sufficient. There are 5 Soviet-bloc references.

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